

# Measurement

# International System of Units (SI)

---

- revised metric system proposed in 1960
- widely used in science
- 7 base units

# SI Base Units

---

Length	Meter	m
Mass	Kilogram	kg
Time	Second	s or sec
Electrical current	Ampere	A or amp
Temperature	Kelvin	K
Amount of Substance	Mole	mol
Luminous intensity	Candela	cd

# SI Prefixes

---

Tera-	T	$10^{12}$	Deci-	d	$10^{-1}$
Giga-	G	$10^9$	Centi-	c	$10^{-2}$
Mega-	M	$10^6$	Milli-	m	$10^{-3}$
Kilo-	k	$10^3$	Micro-	$\mu$	$10^{-6}$
			Nano-	n	$10^{-9}$
			Pico-	p	$10^{-12}$

# Derived units in SI

---

**measured in terms of one or more base units**

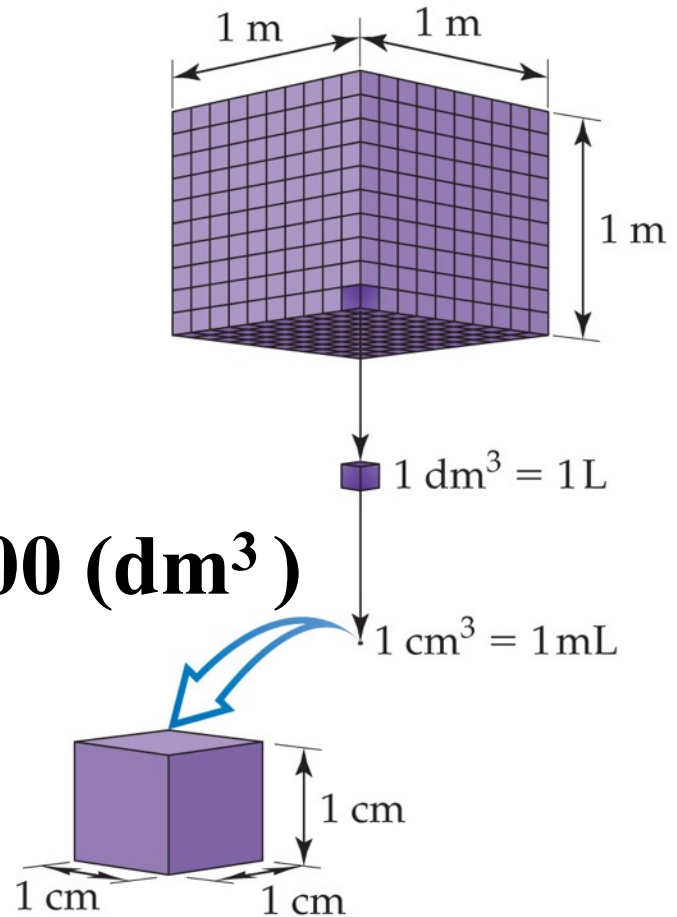
# Volume

- The most commonly used metric units for volume are the liter (L) and the milliliter (mL).

**volume**

$$\text{m} \times \text{m} \times \text{m} = \boxed{\text{m}^3} = 1000 \text{ (dm}^3\text{)}$$

$$\text{1 dm}^3 = 1 \text{ liter (L)}$$



© 2012 Pearson Education, Inc.

# Density

---

**The mass of a substance that occupies one unit of volume**

$$\text{Density} = \frac{\text{mass}}{\text{volume}} = \frac{\text{g}}{\text{cm}^3} = \text{g/cm}^3$$

# Example

---

**What is the density of a piece of concrete that has a mass of 8.76 g and a volume of 3.07 cm<sup>3</sup>**

$$\text{Density} = \frac{\text{mass}}{\text{volume}} = \frac{8.76\text{g}}{3.07 \text{ cm}^3} = 2.85\text{g/cm}^3$$



# Temperature

---

**There are three systems for measuring temperature that are widely used:**

**Kelvin scale**

$$\mathbf{K = C^{\circ} + 273.15}$$

**Celsius scale**

$$\mathbf{C^{\circ} = K - 273.15}$$

**Fahrenheit scale**

$$\mathbf{F^{\circ} = C^{\circ} (9/5) + 32}$$

**Used mainly in  
engineering**

$$\mathbf{C^{\circ} = (F^{\circ} - 32) 5/9}$$

# Temperature

---

**Kelvin scale**

**Celsius scale**

**Fahrenheit scale**

**373 K**

**100°C**

**212°F**

**273 K**

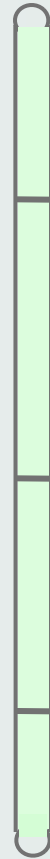
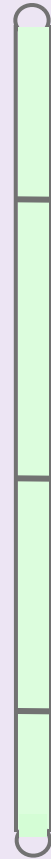
**0°C**

**32°F**

**233 K**

**- 40°C**

**-40°F**



# Handling Numbers

In chemistry we deal with very large and very small numbers

# Scientific Notation

---

is a way of dealing with numbers that are either extremely large or extremely small

$$N \times 10^n$$

where **N** is a number between 1 and 10 and **n** is an exponent that can be a positive or negative integer

# Example

---

Express 568.762 in scientific notation.

$$568.762 = 5.68762 \times 10^2$$

note that the decimal point moved to the left by two places and  $n = 2$ .

# Example

---

Express 0.00000772 in scientific notation.

$$0.00000772 = 7.72 \times 10^{-6}$$

note that the decimal point moved to the right by six places and  $n = -6$ .

## practice problem

---

**Express the following quantities in scientific notation.**

$$\text{c. } 4500000.\text{m} = 4.5 \times 10^6$$

*(Note: In the original image, red arrows point to the first two digits '4' and '5' of the number 4500000.)*



## practice problem

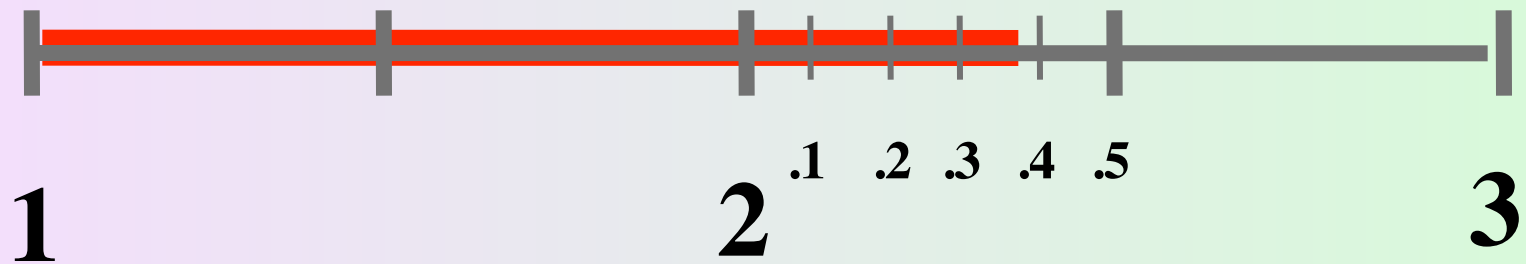
---

**Express the following quantities in scientific notation.**

$$\text{f. } 0.00000687 \text{ kg} = 6.87 \times 10^{-6}$$

# Uncertainty in measurement

---

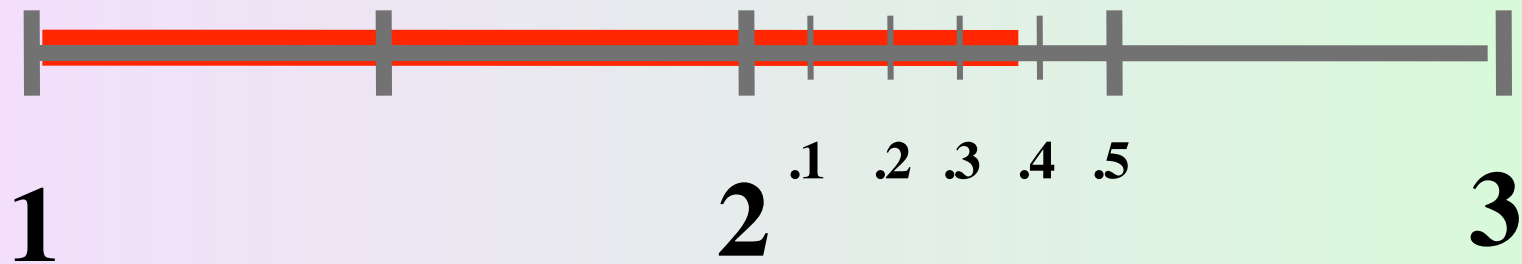


**2.36mm**   **2.37mm**

middle value ?

# Uncertainty in measurement

---



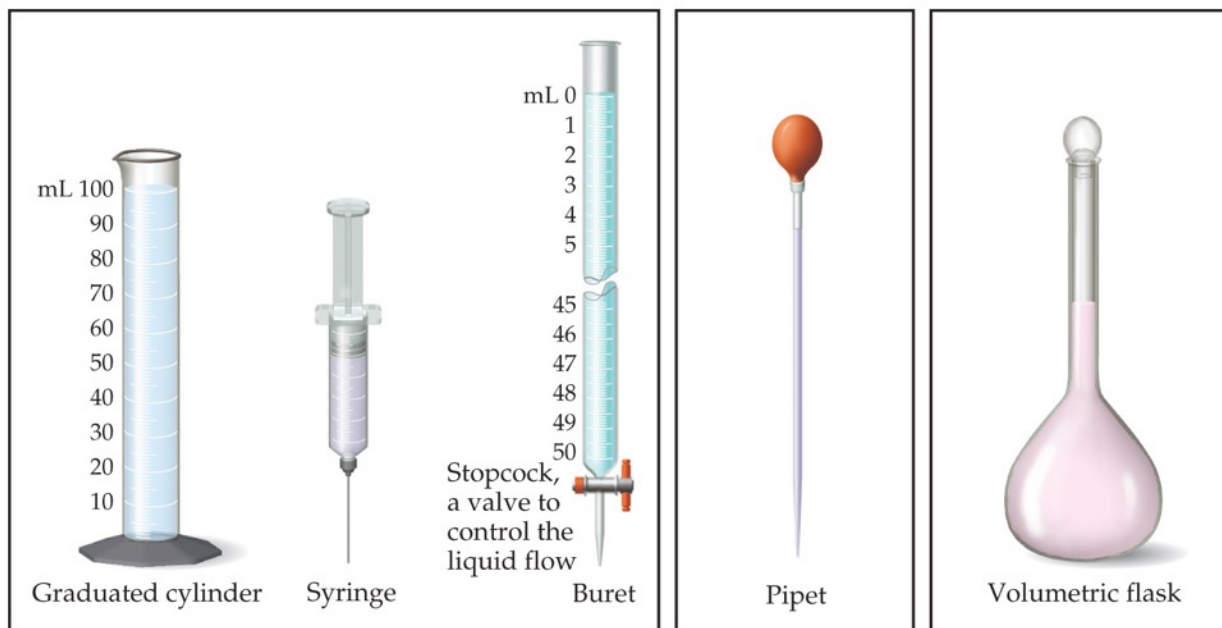
**2.36mm**    **2.37mm**

middle value ?

**There is uncertainty  
with this degree of  
accuracy**

# Uncertainty in Measurements

Different measuring devices have different uses and different degrees of accuracy.



These deliver **variable** volumes

Pipet delivers a **specific** volume

Volumetric flask **contains** a specific volume

© 2012 Pearson Education, Inc.

© 2012 Pearson Education, Inc.

Matter  
And  
Measurement

# Accuracy versus Precision

- **Accuracy** refers to the proximity of a measurement to the true value of a quantity.
- **Precision** refers to the proximity of several measurements to each other.



Good accuracy  
Good precision



Poor accuracy  
Good precision

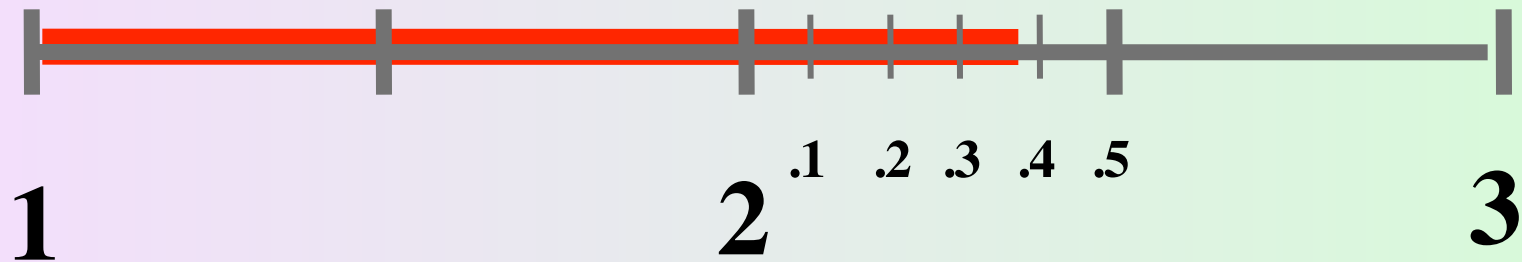


Poor accuracy  
Poor precision

© 2012 Pearson Education, Inc.

# Uncertainty in measurement

---



**2.37mm**

The first two measured numbers are called *certain* digits

The the digit to the right of the 3 is called an *uncertain* digit

a measurement always has some degree of *uncertainty*

We customarily report a measurement by recording all the certain digits plus the first uncertain digit.

these numbers are called **significant figures**

# Significant Figures

- The term **significant figures** refers to digits that were measured.
- When rounding calculated numbers, we pay attention to significant figures so we do not overstate the accuracy of our answers.

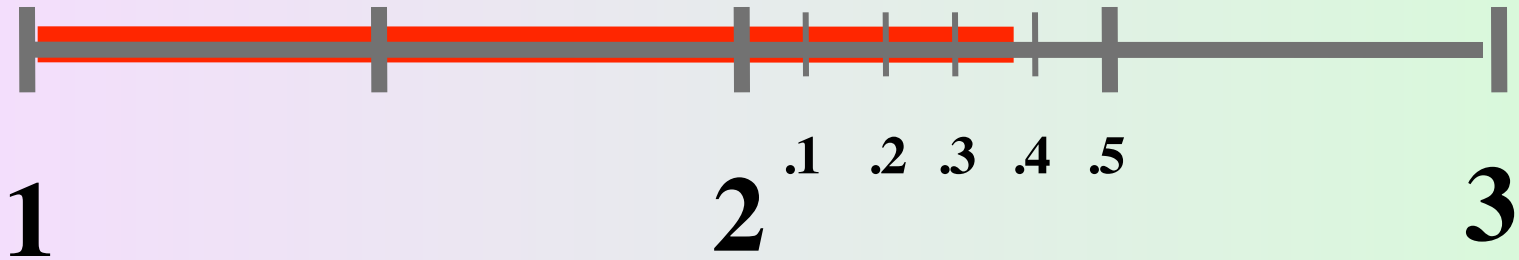


# Significant Figures

- The term **significant figures** refers to digits that were measured.
- When rounding calculated numbers, we pay attention to significant figures **so we do not overstate the accuracy of our answers.**

# Significant Figures

---



**2.37mm**

**three significant figures in  
this measurement**

# Rules for Significant Figures

*1. digits other than zero are always significant*

**67.8 g**            **3 significant figures**

**98. g**            **2 significant figures**

*2. one or more final zeros used after the decimal point are always significant*

**4.700 m**            **4 significant figures**

**82.0 m**            **3 significant figures**

# Rules for Significant Figures

*3. zeros between two other significant digits are always significant*

**5.029 cm**

**4 significant figures**

*4. zeros used solely for spacing the decimal point are not significant*

**0.00783 ml**

**3 significant figures**

**0.34 g/ml**

**2 significant figures**

# Rules for Significant Figures

*If the zeros follow nonzero digits, there is ambiguity if no decimal point is given*

**300 N**

**significant figures ?**

**300. N**

**3 significant figures**

**300.0 N**

**4 significant figures**

*Avoid ambiguity by expressing measurements in scientific notation*

**3.0 x 10<sup>2</sup> N**

**2 significant figures**

# Significant Figures

- When addition or subtraction is performed, answers are rounded to the least significant **decimal place**.
- When multiplication or division is performed, answers are rounded to the number of digits that corresponds to the **least number of significant figures** in any of the numbers used in the calculation.

# Adding Significant Figures in Calculations

*A result can only be as accurate as the least significant measurement*

$$\begin{array}{r} 4.37 \text{ g} \\ + 1.002 \text{ g} \\ \hline 5.372 \text{ g} \end{array} \quad \text{3 significant figures}$$

# Multiplying Significant Figures in Calculations

*A result can only be as accurate as the least significant measurement*

$$\text{Volume} = l \times w \times h = (1.87\text{cm})(1.413\text{cm})(1.207\text{cm})$$

$$= 3.19\text{cm}^3$$

**3 significant figures**



# Using Significant Figures in Calculations

*A result can only be as accurate as the least significant measurement*

$$21.\text{mm} - 13.8\text{mm} = 7.\text{mm}$$

**1 significant figures**

# Rounding Off Rules

---

**In a series of calculations, carry the extra digits through the final result, then round.**

**If the digit following the last reportable digit is:**

- **4 or less, you drop it**

**1.33 to 1.3**

- **5 or more, you increase the last reportable digit by one**

**1.36 to 1.4**

# Percent Error

---

## **Observed value**

**the value based on laboratory measurements**

## **True value**

**the value based on accepted references**

## **Absolute error**

**the difference between the observed value and the true value**

**(observed value - true value)**

# Percent Error

---

$$\% \text{ Error} = \frac{\text{absolute error}}{\text{true value}} \times 100\%$$

# Example

---

the boiling point of methanol is 65°C. Your measured boiling point of methanol is 66.0°C. what is the percent error in your measurement.

$$\% \text{ Error} = \frac{\text{absolute error}}{\text{true value}} \times 100\%$$

$$\% \text{ Error} = \frac{66^\circ\text{C} - 65^\circ\text{C}}{65^\circ\text{C}} \times 100\%$$

$$= 1.5\%$$

# Dimensional Analysis

**we use dimensional analysis to  
convert one quantity to another.**

# Dimensional analysis

---

$$\frac{2.54\text{cm}}{2.54\text{cm}} = \frac{1 \text{ in}}{2.54\text{cm}}$$

**dividing both sides of the equation by 2.54cm**

$$1 = \frac{1 \text{ in}}{2.54\text{cm}}$$

$$1 = \frac{2.54\text{cm}}{1 \text{ in}}$$

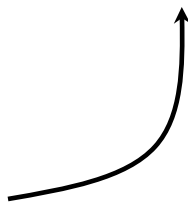
**we create an expression called a **conversion factor****

# Dimensional Analysis

Use the form of the conversion factor that puts the sought-for unit in the numerator:

$$\cancel{\text{Given unit}} \times \frac{\text{desired unit}}{\cancel{\text{given unit}}} = \text{desired unit}$$

Conversion factor





# Example

---

What is the length of a 2.85cm pin in inches?

$$2.85 \text{ cm} \times \frac{1 \text{ in}}{2.54 \text{ cm}} = 1.12 \text{ in}$$

# Example

---

Where were you a billion seconds ago?

$$1 \times 10^9 \text{ sec} \times \frac{1 \text{ min}}{60 \text{ sec}} \times \frac{1 \text{ hour}}{60 \text{ min}} \times \frac{1 \text{ day}}{24 \text{ hours}} \times \frac{1 \text{ year}}{365 \text{ days}} = 31.7 \text{ years}$$

